

B. ETCE 2ND YEAR 1ST SEMESTER EXAMINATION, 2019
 Network Synthesis

Time: 3 Hours

Full Marks: 100

Answer any Five (5) Questions from the followings: 20×5

- Find the **voltage transfer function** of the circuit shown in Fig. 1 (a).
 - Find the **input impedance** of the circuit shown in Fig. 1(b).

10+10

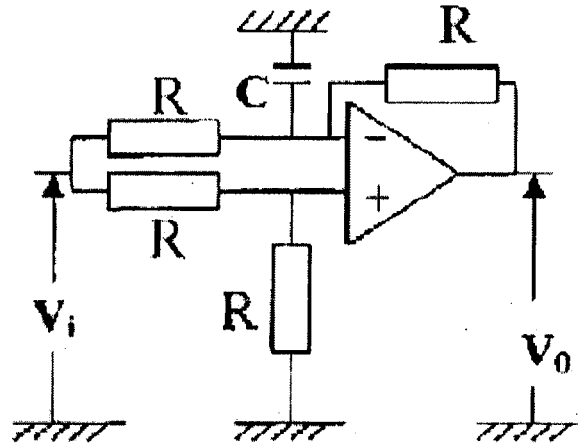


Fig. 1 (a)

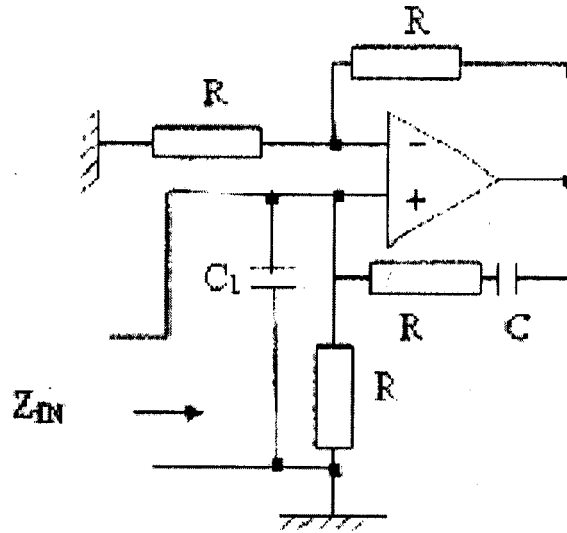


Fig. 1 (b)

- State the condition (a) and (b) of a **PR** function.
 - Consider the circuit shown in Fig. 2(a). Using the above conditions prove that if $Z_i(s)$ is PR then the product $V_i(s) I_i^*(s)$ is also PR.

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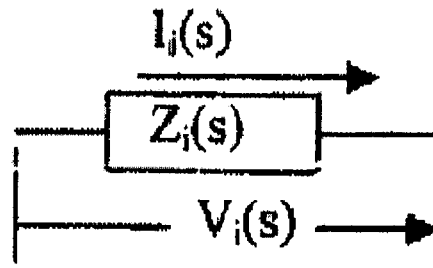


Fig. 2(a)

- (c) Assuming $Z(s) = s-1$. Find the input impedance of the network shown in Fig. 2 (b). Find the range of K such that input impedance is *PR*.

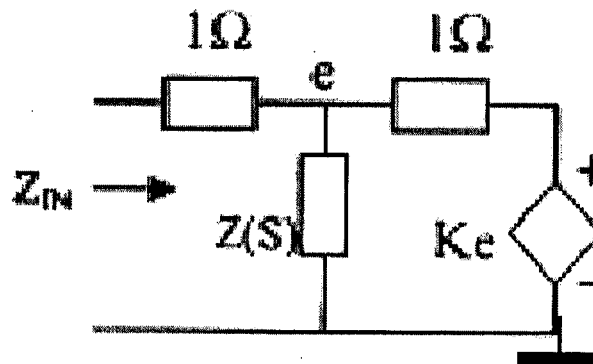


Fig. 2(b)

- (d) Using the condition (c) for the *PR* function and the fact that $Z(s)$ is *PR* then $Z(1/s)$ is also *PR* show that if

$$Z(S) = \frac{a_0 + a_1 S + \dots + a_m S^m}{b_0 + b_1 S + \dots + b_n S^n}$$

is a *PR* function then $|m-n| \leq 1$

02+05+05+08

3. (a) Assume that $Z(s)$ is a *PR* function and $\text{Re}[Z(s)] = 0$. Show that $Z(s)$ can have either a **zero** or a **pole** at $s = 0$.
(b) Using the derivation of part (a) obtain the general expression for an *LC* driving point impedance function. Hence derive the *Foster I* and *Foster II* realization technique for *LC* impedance function.
(c) Find the *Foster I* and *Foster II* realization for the following driving point impedance function:

$$Z_{LC}(s) = s(s^2 + 2) / (s^2 + 1)(s^2 + 4)$$

06+06+08

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4. (a) Show that the properties of an **RC** driving point impedance function can be obtained from the properties of the **LC** driving point impedance function.
 (b) Design **Foster I** and **Foster II** networks for the **RC** impedance function.
10+10
5. (a) Describe a Constant **K** low pass filter. What are the disadvantages of this configuration? Describe how **m** derived filter overcome these disadvantages? Show that the cut-off characteristic of a filter can be improved by using an **m** derived section:
 (b) calculate the values of the elements of a high-pass filter having a cut-off frequency of 1 KHz and operating into a load resistance of 600 ohms.
03+03+03+04+07
6. (a) Design an appropriate **m** derived T section and an appropriate π section for the following specification, design impedance = 400 ohms, cut-off frequency of 5 KHz and a frequency of attenuation (resonant frequency) = 6 KHz.
 (b) Design a composite high pass filter to operate into a load of 600 ohms and have a cut-off frequency of 1.2 KHz. The filter is to have one constant **K** section and one **m** derived section with infinite frequency of 1.1 KHz and suitable termination half section.
07+13
7. (a) Make a comparative study between active filter and passive filter.
 (b) Design a second order active BP filter that has a centre frequency of 1 KHz and a band-width of 100 Hz. Take the centre frequency gain to be 2. Derive the necessary relation you use.
05+15
8. (a) Describe active notch and band pass filter.
 (b) Design an active notch filter having a centre frequency $f_0 = 400$ Hz and $Q = 10$, make the centre frequency gain to be 2. Derive the necessary relation you use.
05+15