Ref. No: Ex/EE/T/424A/2019 B.E. ELECTRICAL ENGINEERING FOURTH YEAR SECOND SEMESTER - 2019 SUBJECT: - ADVANCED COMPUTING TECHNIQUES

Full Marks: 100 Time: Three hours (50 marks for this part)

Ì			PART -I		Mark
			ver any Three		
	(T	wo marks reserve		nized answers)	
1				capable of burning coal,	(16)
	oil, or gas sim	ultaneously. Tak	ing efficiency i	into consideration, a total	
1	input rate of	4000 kW equival	lent of fuel mu	ist be burnt. Regulations	109
	require that th	e sulphur content	of the emissio	n be limited to 2.5%.	l
		capacities, emissi	ion values, and	d the costs will now be	
1	given				100
	and the second	and the second			
١	Fuel Type	Sulphur	Cost \$ per	Heating value	
		Emission %	1000 kg	• kW/(kg/s)	, - -
		_ 0.10_		64.000	
	Gas	0.12	55	61,000	
	0"	0.15		45.000	
	Oil	0.45	41	45,000	
	~ .			,¥	
1	Coal	2.8	28	38,000	
	problem.)	1			
	Programming Minimize the $f(x_1, x_2) = (x_1, x_2)$ point is chose and termination shown) Maximize $f(x_1, x_2)$	following function $x_1^2 + x_2 - 11)^2$ on to be $X_0 = (0)$ on parameter = $(x_0^2 + x_2^2) = (0)$	In using Marque $+(x_1 + x_2^2 - x_3^2)$. Maximum 10^{-3} . (Two neet to the constraints)	$(7)^2$ where the initial no. of iterations = 100 o. of iterations has to be raint $+y = 8$.	(8+8)
	Programming Minimize the $f(x_1, x_2) = (x_1, x_2)$ point is chose and termination shown) Maximize $f(x_1, x_2)$	problem. following functio $x_1^2 + x_2 - 11)^2$ on to be $X_0 = (0)$ on parameter =	In using Marque $+(x_1 + x_2^2 - x_3^2)$. Maximum 10^{-3} . (Two neet to the constraints)	pardt's Method $(7)^2 \text{ where the initial no. of iterations} = 100$ o. of iterations has to be traint $+y = 8$.	,
	Programming Minimize the $f(x_1, x_2) = (x_1, x_2) = (x_1, x_2)$ point is chose and termination shown) Maximize $f(x_1, x_2)$ Illustrate the maximize $f(x_1, x_2)$	problem. following functio $x_1^2 + x_2 - 11)^2$ on to be $X_0 = (0)$ on parameter = $(x_1^2 + x_2 - 11)^2 + (0)$ on parameter = $(x_1^2 + x_2^2 - 11)^2 + (0)$	In using Marque $+(x_1 + x_2^2 - x_1^2)$. Maximum 10^{-3} . (Two neet to the constraint of the this particular in the particular in the second in the constraint of the con	pardt's Method $(7)^2$ where the initial no. of iterations = 100 o. of iterations has to be raint $+y = 8$. lar problem.	
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	Programming Minimize the $f(x_1, x_2) = (x_1, x_2) = (x_1, x_2)$ point is chose and termination shown) Maximize $f(x_1, x_2)$ Maximize $f(x_1, x_2)$ Solve the following Bound technic	problem. following functio $x_1^2 + x_2 - 11)^2$ on to be $X_0 = (0)$ on parameter = $(x_1^2 + x_2^2) = (0)$ on parameter = $(x_2^2 + x_2^2) = (0)$ on parameter = $(x_1^2 + x_2^2) = (0)$ on parameter = $(x_2^2 + x_2^2) = (0)$ on parameter = $(x_1^2 + x_2^2) = (0)$ on parameter = $(x_2^2 + x_2^2) = (0)$ on parameter = $(x_1^2 + x_2^2) = (0)$ on parameter =	In using Marque $+(x_1 + x_2^2 - x_1^2)$. Maximum 10^{-3} . (Two neet to the construction of the individual	pardt's Method $(7)^2$ where the initial no. of iterations = 100 to. of iterations has to be traint $+y = 8$. lar problem. The problem wing Branch and LP problems has to be	,
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	Programming Minimize the $f(x_1, x_2) = (x_1, x_2) = (x_1, x_2)$ point is chose and termination shown) Maximize $f(x_1, x_2)$ Maximize $f(x_1, x_2)$ Solve the following Bound technic	problem. following functio $x_1^2 + x_2 - 11)^2$ on to be $X_0 = (0)$ on parameter = $(x_1^2 + x_2^2) = (0)$ on parameter = $(x_2^2 + x_2^2) = (0)$ on parameter = $(x_1^2 + x_2^2) = (0)$ on parameter = $(x_2^2 + x_2^2) = (0)$ on parameter = $(x_1^2 + x_2^2) = (0)$ on parameter = $(x_2^2 + x_2^2) = (0)$ on parameter = $(x_1^2 + x_2^2) = (0)$ on parameter =	In using Marque $+(x_1 + x_2^2 - x_1^2)$. Maximum 10^{-3} . (Two neet to the construction of the individual	pardt's Method $(7)^2$ where the initial no. of iterations = 100 to. of iterations has to be traint $+y = 8$. lar problem. The problem wing Branch and LP problems has to be	(8+8)

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Full Marks: 100 (50 marks for this part)

Time: Three hours

		$Maximize Z = 5x_1 + 4x_2$	
		Subject to: $x_1 + x_2 \le 5$	
		$10x_1 + 6x_2 \le 45$	
		$x_1, x_2 \ge 0$ and integer	
5)	a)	Illustrate, with suitable example, how Genetic Algorithms evolve to generate improved solutions. (Maximum no. of iterations = 2)	(8)
	b)	Illustrate the elements which comprise the design of an algorithm based on simulated annealing.	(8)
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Time: Three Hours

Full Marks 100

(50 Marks for each part)

Use a separate Answer-Script for each part

Two marks for neat and well-organized answers

Question No.		Part II	
		Answer any three questions	Marks
1.	(a)	What do you understand by finite difference method (FDM)? With suitable example, show how 2D FDM equations can be formed in the case of a homogeneous dielectric material for unequal nodal distance.	2+6
	(b)	A differential equation is given by $y'' + y = 0$, with the constraints $y(0) = 1$ and $y'(0) = 0$. Use forward difference scheme of FDM and solve the equation. Comment on the percentage error versus the chosen step size.	8
2.	(a)	What is Finite Element Method (FEM)? In which areas FEM can be applied?	6
	(b)	Discuss how approximate solutions can be obtained by finite element method. Explain in brief with the help of a simple geometrical pattern.	-10
3.	(a)	What do you understand by ANN? Discuss about the similarity and dissimilarity (if any) of ANN with an actual neural network.	2+4
	(b)	Show how an ANN can be "Trained" to achieve target value using a suitable example.	10
4.	(a)	State differences between Crisp Logic and Fuzzy Logic.	4
	(b)	Give the scheme of implementing a Fuzzy Logic Controller in a system of your choice. Define the input and output parameters along with their dependencies.	12
5.	·	Write short notes on following topics (any four) (i) Forward difference method (ii) Central difference method (iii)Intersection with respect to Fuzzy Set (iv)Fuzzy membership function (v) Fuzzy controller	4×4