

## M.E. POWER ENGINEERING FIRST YEAR SECOND SEMESTER EXAM 2019

SUBJECT: *Computational Heat Transfer & Fluid Flow*

Time: Three Hours

Full Marks 100

Attempt Any FOUR questions.

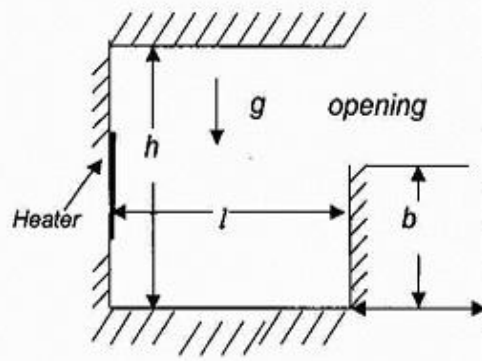
No. of Questions		Marks
1.a)	Discuss how equations $a_i T_i = b_i T_{i+1} + c_i T_{i-1} + d_i$ ( $N \geq i \geq 1$ ) can be solved by Thomas Algorithm, where $T_1$ and $T_N$ are known. ( $a$ , $b$ , $c$ and $d$ are constants).	13
b)	Briefly discuss the Gauss-Siedel method for solving a set of liner equations, with conditions of convergence. Why it is not popular among reasearches? What is its difference with direct method?	12
2.	Discuss various steps in solving a 2-D unsteady purely conduction problem with source term (partly a function of temperature) using finite volume method.	25
3.a)	Explain how staggered grids are used to overcome the difficulties in solving a 2D pressure-velocity coupled steady flow problem?	10
b)	With an example, explain 'false diffusion'. A 2-D purely convection equation is discretised following upwind scheme. Show mathematically that 'false diffusion' decreases with grid refinement.	15
4.	Show that for 1D convection diffusion equation $\frac{d}{dx}(\rho u \phi) = \frac{d}{dx}(\Gamma \frac{d\phi}{dx})$ , the exponential scheme yields the following discretised equation. $a_p \phi_p = a_E \phi_E + a_W \phi_W$ , where $a_E = \frac{F_e}{\text{Exp}(F_e / D_e) - 1}$ , $a_W = \frac{F_w \text{Exp}(F_w / D_w)}{\text{Exp}(F_w / D_w) - 1}$ and $a_p = a_E + a_W + (F_e - F_w)$ . Hence briefly discuss the hybrid scheme as a simplification of exponential scheme. How the difficulties of central difference scheme and the upwind scheme can be eliminated using this scheme?	25

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5.	<p>The figure shows a 2-D cavity of height <math>h</math> and length <math>l</math> filled with air. A constant temperature heat source of length <math>s</math> is placed at the center of the LHS wall. There is a barrier at RHS which covers 50% of the RHS side. Remaining 50% is open. All the walls are insulated. (hatched lines in the Figure1). Considering steady laminar natural convection, develop the transport equations with boundary conditions. Also show the non-dimensional form of the equations and boundary conditions using suitable scale. (Incorporate the density variation in the body force term using Boussinesq approximation.)</p>	 <p style="text-align: center;">Figure 1</p>	25
6.	Starting from generalized discretised equation show how a 2-D fluid flow problem can be solved using SIMPLER algorithm.		25