



Internal Combustion Engines

Lecture-15

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Supercharging and Turbocharging

- The maximum power generation by an engine is limited by the amount of air it can take in
- If the inducted air is compressed to a higher density than ambient, prior to entry into the cylinder, the maximum power an engine of **fixed** dimensions can deliver will be increased
- The term supercharging refers to increasing the air (or mixture) density by increasing its pressure prior to entering the engine cylinder
- Compressor, if run by the engine power, is called supercharger
- Compressor, if coupled to a turbine run by exhaust, is called turbocharger

P-V Diagram

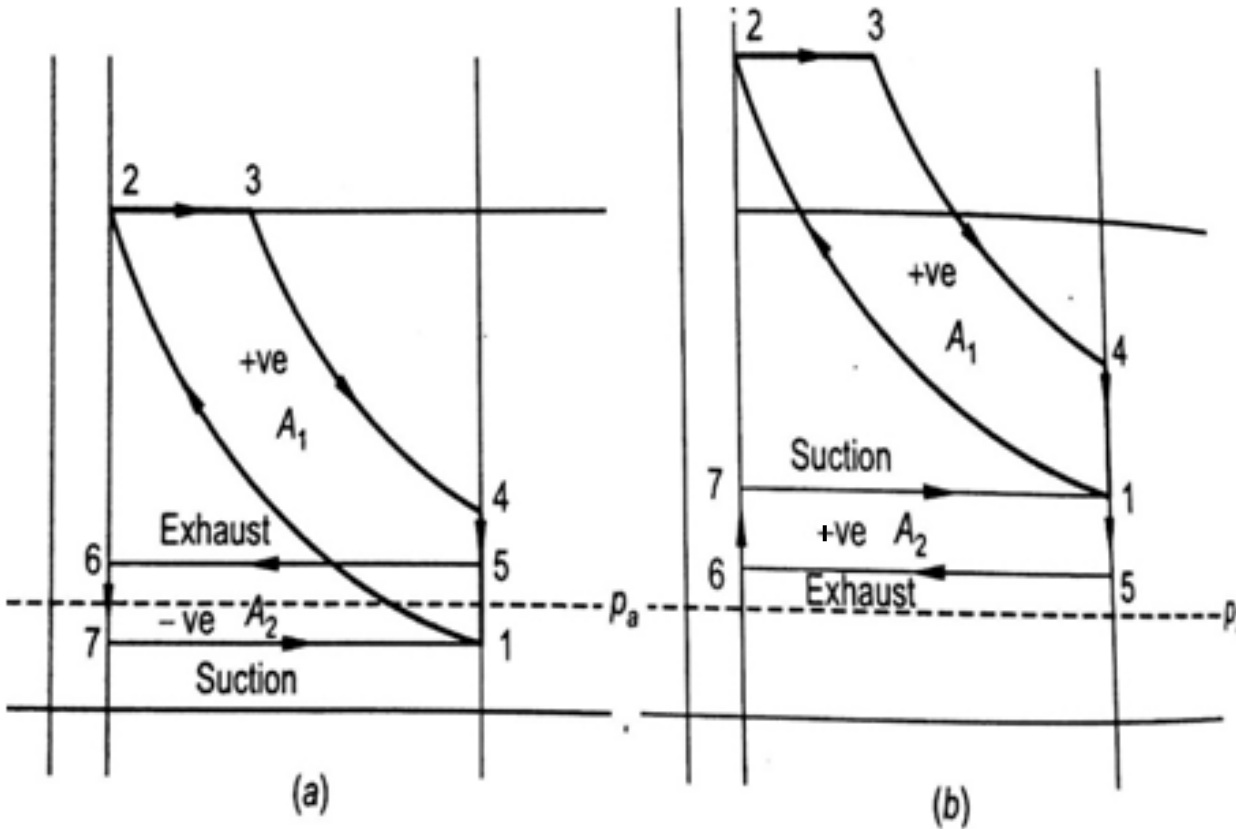
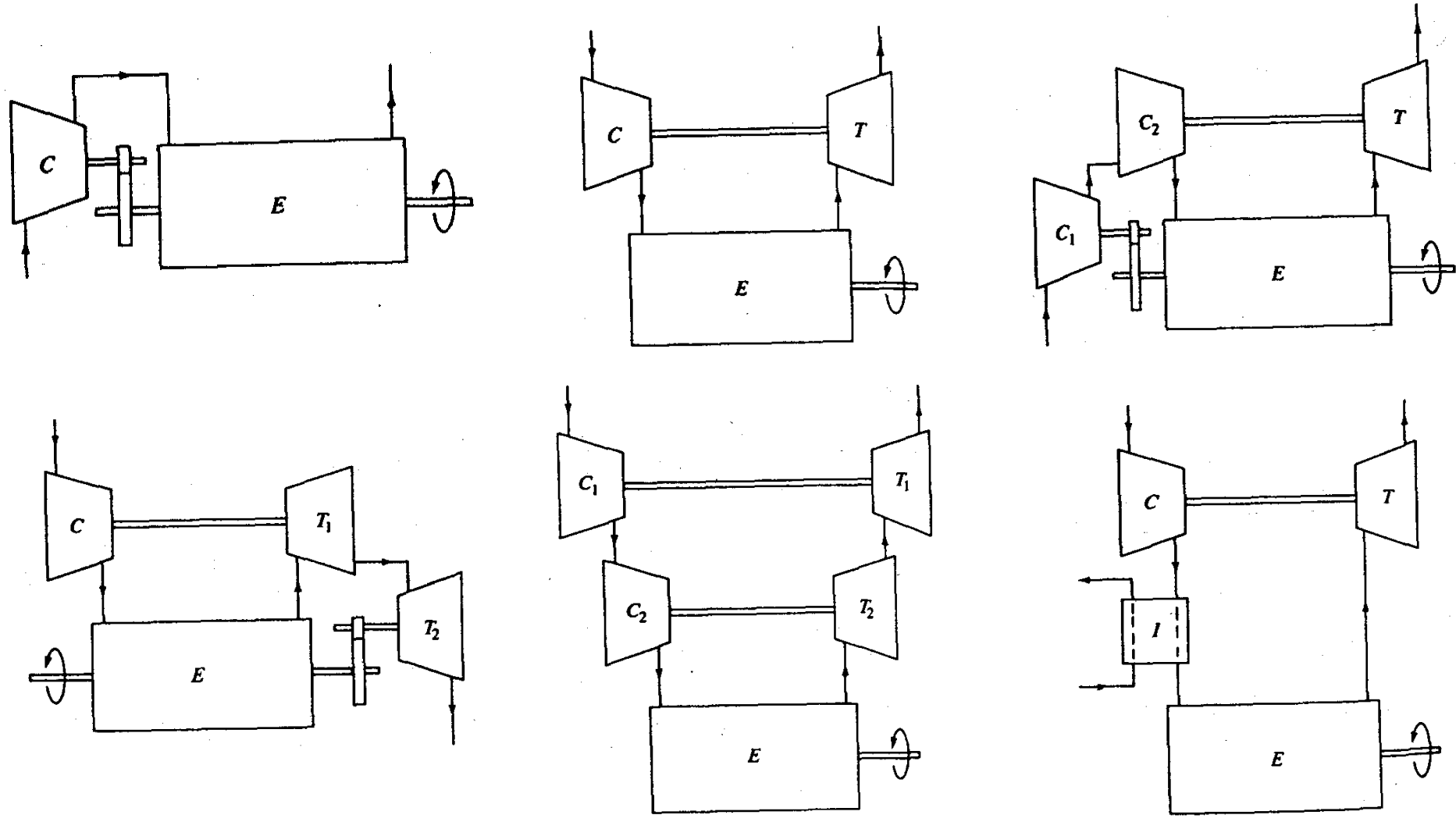


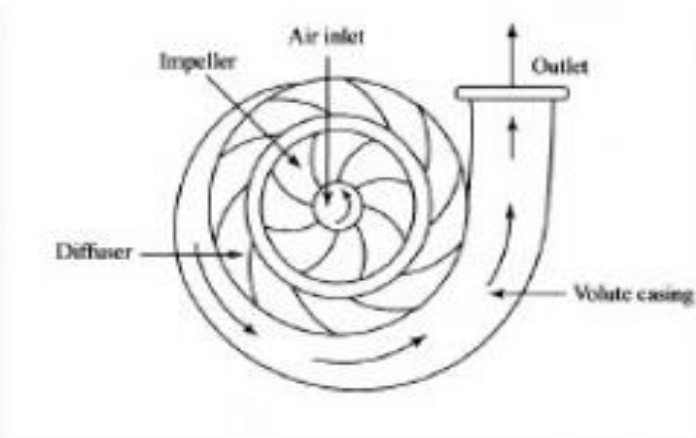
Fig.4.3: effect of supercharging on Diesel cycle.

- The supercharged cycle shifts upward
- The bottom loop has been turned to a positive loop
- The work done by the cycle should be addition of these two loop areas
- Compressor work should be subtracted to get the work done by the device

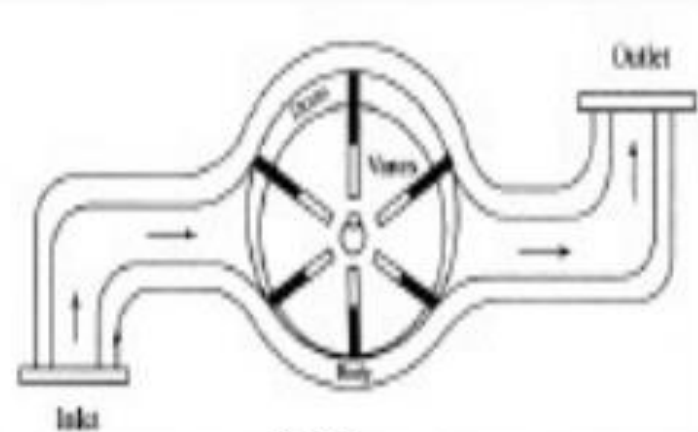
Configurations



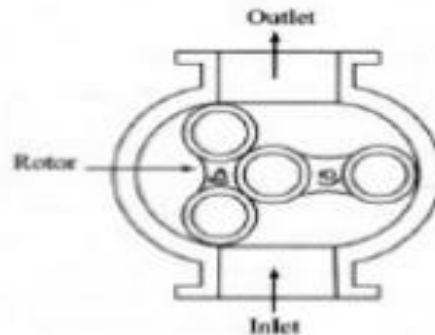
Types of Superchargers



1. Centrifugal type



2. Vane type



3. Root's type

- Mainly two types – Centrifugal and positive displacement
- Vane type and Root's type are positive displacement superchargers



Example: A 3-litre 4-stroke diesel engine develops 12 kW/m³ of free air inducted per minute. The volumetric efficiency is 82% at 3600 rpm referred to atmospheric condition of 1 bar and 27°C.

A rotary compressor, mechanically couple to the engine, is used for supercharging. The pressure ratio and isentropic efficiency are 1.6 and 70% respectively. Calculate the percentage increase in brake power for supercharging.

Assume mechanical efficiency of the engine to be 85% and air intake to the cylinder to be at the pressure equal to delivery pressure from compressor and temperature equal to 5.6°C less than the delivery temperature of the compressor. Also assume that cylinder contains volume of charge equal to swept volume.

Solution: Swept volume = $V_s = (3/1000) \times (3600/2) = 5.4 \text{ m}^3/\text{min}$

Actual volume of air inducted = $V_a = V_s \times \eta_v = 5.4 \times 0.82 = 4.428 \text{ m}^3/\text{min}$

Power developed = $4.428 \times 12 = 53.136 \text{ kW}$

Delivery pressure from compressor = $p_d = 1 \times 1.6 = 1.6 \text{ bar}$



Delivery temp from compressor = $T_d = T_a(p_d)^{(\gamma-1)/\gamma} = 343.12 \text{ K}$

The actual delivery temperature = T_{ac} [With non isentropic flow]

Now, compressor efficiency = $\eta_c = 0.7 = (343.12 - 300)/(T_{ac} - 300)$

So, $T_{ac} = 361.6 \text{ K}$ and engine intake temp = $(361.6 - 5.6) = 356 \text{ K}$

Actual volume of air inducted corresponding to swept volume at atmospheric condition = $(5.4 \times 1.6 \times 300)/(1 \times 356) = 7.281 \text{ m}^3/\text{min}$

So, increase in ip due to supercharging = $(7.281 - 4.428) \times 12 = 34.236 \text{ kW}$

Increase in ip due to increase in intake pressure

$$= (\Delta p \times V_s)/(60 \times 1000) \text{ kW} = (1.6 - 1) \times 10^5 \times 5.4/60000 = 5.4 \text{ kW}$$

Total increase in ip = 34.236 + 5.4 = 39.636 kW

Mass of air delivered by the compressor/min = $(1.6 \times 10^5 \times 5.4)/(300 \times 356)$
= 8.09 kg/min

Power to run the compressor = $(8.09/60) \times 1.005 \times (361.6 - 300) = 8.35 \text{ kW}$

So, net increase in power = $39.636 - 8.35 = 31.286 \text{ kW}$

Percentage increase = $(31.286/53.136) \times 100 = 58.88\%$



Thank You