B.E. E (PART TIME) 2ND YEAR 2ND SEMESTER EXAM 2019

SUBJECT: - SIGNALS & SYSTEMS

Time: Three hours

Full Marks 100 (50 marks for each part)

Use a separate Answer-Script for each part

No. of	PART-I	Marks		
Questions Answer any 4 questions; 2 marks for well organized answers (12X4+2=50)				
1.	Find Fourier coefficients, Amplitude and Phase Spectra for the following signal $x(t)$.	12		
	-T 0 T 2T 3T t			
2. a)	A signal $x(t)$ is shown below:	8		
	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$			
	Find the even and odd components of $x(t)$.	4		
b)	Prove that any signal can be resolved into even and odd components.			
3.	Perform graphically the convolution between $f_1(t)$ and $f_2(t)$ as shown in the following figure. $f_1(t)$ $f_2(t)$ 2 2 4 6	12		

Ref No: Ex/EE/5/T/221/2019

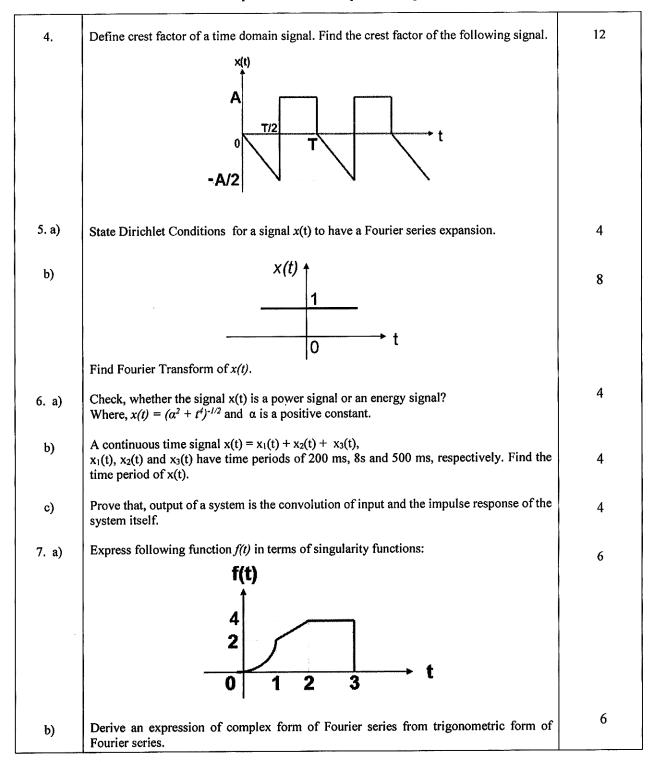
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BACHELOR OF ENGINEERING (ELECTRICAL ENGINEERING) 2ND YEAR 2ND SEMESTER EXAMINATION, 2019

Subject: SIGNALS & SYSTEMS Time: Three Hours Full Marks: 100

Part II (50 marks)

Question 1 is compulsory

Answer Any Two questions from the rest (2×20)

Que: No.	stion		Marks
Q1	Answer any Two of the following:		
	(a)	Determine if the following system is (i) time-invariant, (ii) linear, (iii) causal, and/or (iv) memoryless.	5
		$\dot{y}(t) + 4ty(t) = 2x(t)$	
	(b)	Solve the following differential equation using the Laplace Transform method:	5
		$\dot{y} - 2y = 2x$, with, $x(t) = u(t)$, $y(0) = -1$.	3
	(c)	Determine whether the system characterized by the differential equation $\ddot{y}(t) + 2\dot{y}(t) + 2y(t) = x(t)$ is stable or not? Assume zero initial conditions.	5
	(d)	Determine the analog diagram to implement the following differential equation $\dot{x}(t) + 0.1x(t) = 1$, $x(0) = 0$.	5
Q2	(a)	For a standard 2 nd order system find the expressions for the time-response for (i) un-damped, (ii) critically damped conditions. Show the respective pole locations.	4+4

(b) Find the transfer function, Y(s)/X(s), for the circuit shown in Figure Q-2(b). Find the values of ξ and ω_n for $C_1=C_2=100\mu F$, $R_1=R_2=2000\Omega$.

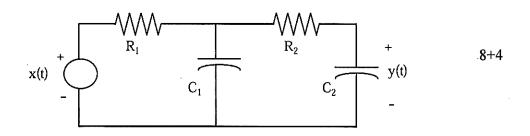


Figure Q-2(b)

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Q3 (a) (i) Draw analog simulation diagram for the following system, and, (ii) obtain magnitude-scaled analog simulation of the system to utilize the full amplifier range of 0 to 10 volts without any overloading.

$$\ddot{x} + 2\dot{x} + 25x = 500$$
, $x(0) = 20$, $\dot{x}(0) = 0$,
with, $|x|_{max} = 20$, $|\dot{x}|_{max} = 100$.

(b) Stating the simplifying assumptions obtain the block diagram representation of an armature controlled d. c. motor driving a load with viscous friction. Derive the corresponding transfer function assuming the angular velocity to be the output.

4+4

Q4 (a) Define state and output equation for an LTI system. Draw the block diagram representation of the state and the output equations.

4+4

(b) For an R-L-C series circuit driven by a constant voltage source obtain the state-space model. Assume the voltage across the capacitor to be the output. Draw the corresponding block diagram indicating the individual state variables.

8+4

8

Q5 (a) Consider the mechanical system shown in Figure Q-5(a).

The external force u(t) is the input to the system, and the displacement y(t) of the mass is the output.

The displacement y(t) is measured from the equilibrium position in the absence of the external force.

 $k \geqslant u(t)$ $b \qquad y(t)$

- (i) Obtain transfer function of the system.
- (ii) Obtain the analogous electrical network based on *force-voltage* analogy.

Figure Q-5(a)

(b) Draw asymptotic Bode magnitude plot for the system with a transfer function:

$$G(s) = \frac{10(s+2)}{s(s+0.5)}$$