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Ref. No.: Ex/CE/5/T/203/2019

Name of the Examinations: BACHELOR OF ENGINEERING (CIVIL ENGINEERING) SECOND YEAR

FIRST SEMESTER - 2019

Subject : COMPUTER PROGRAMMING- II

Time:3hr

Full Marks: 100

Part I

Instructions: Use Separate Answer scripts for each Part

| No. of Question | PART – I | Marks |
|--------------------|--|--------|
| l | Create a structure to specify data about employee. The data to be stored its name, Age, Basic pay and ID no. Assumed maximum 100 no employee. Write a C program to print the details of an employee, if give an ID no. as input. | 10 |
| 2 | Write short notes any two of the following. | 4x2=8 |
| | a) Use of pointer in C program | |
| | b) Structure type Variable. | |
| | c) Recursive function. | |
| 3 | | 4X8=32 |
| | Answer any four questions. | |
| | a) Write a C program to find out value of six sinx ax using simson's rule. Given no. of division (k) as an input. b) Write a C program, to product of two Matrices [A] and [B], both of size (2x3) and (3X2) respectively and store the result in a separate matrix [C]. c) Write a C program to print ascending order form given input as N | |
| : | number integer d) d) Write a C program to the sum of following series for the first N terms, using function subprogram. | |
| | $y = 1 - \frac{x^2}{2!} + \frac{x^4}{4!} - \frac{x^6}{6!} \dots$ | |
| | e) Write a C program to find the value of $^{\rm n}$ c $_{\rm r}$, using function subprogram. | |
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BACHELOR OF CIVIL ENGINEERING (EVENING) EXAMINATION 2019 (Second Year, First Semester)

SUBJECT: COMPUTER PROGRAMMING - II

Time: Three Hours

Full Marks 100 (50 marks for each part)

Use a separate Answer-Script for each part

| No. of question | Port II | /larks |
|-----------------|---|---------|
| | .Answer any Five Questions. | <u></u> |
| 1. | a) Explain briefly power and inverse power method in connection with the Eigen value problems. | e 3 |
| | b) Find the Eigen values and corresponding Eigen vectors using power and inverse power method, using two iterations, for the matrix | d 7 |
| | $B = \begin{bmatrix} 1 & -2 \\ -5 & 4 \end{bmatrix}$ | |
| 2. | a) Define Eigen value, Eigen vector. | 2 |
| | b) Using polynomial method, determine the Eigen values and corresponding Eigen vectors for the matrix | 8 |
| | $A = \begin{bmatrix} 2 & 1 & 0 \\ 1 & 2 & 1 \\ 0 & 1 & 2 \end{bmatrix}$ | |
| 3. | a) Derive Composite Trapezoidal rule using the first two terms of Newton-Gregory forward formula | 6 |
| | b) Use the Simpson's 1/3 rule with no. of segments(n)= 4, evaluate the integral. $\int_{0}^{2} (Sin^{3}x)dx$ | 4 |
| | a) What is the basic difference between Simpson's one-third rule and Gauss quadrature rule? | 2 |
| | b) Using three-point Gauss quadrature rule, estimate the integral. $\int_{1}^{3} (5x^{3} - x + 4) dx$ | 8 |
| | Also, find the absolute relative true error. | |

