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3. Deduce the equation of flexural vibration of a thin rod, when the rotatory inertia effect is taken into account. 10
4. Show that the Loves and dispersive waves and deduce the face velocity equation. 10
5. A uniform pressure varying harmonically with time is acting radially on the surface of a spherical cavity of radius a in an infinite elastic medium. Determine the displacement at any point of the medium. 10
6. Deduce the Pochhansmer frequency equation for the longitudinal vibration of an infinite circular cylinder. 10

Ex/SC/MATH/PG/DSE/TH/04/A27/2024(S)

M. SC. MATHEMATICS EXAMINATION, 2024

(2nd Year, 1st Semester, Supplementary)

MATHEMATICS

PAPER – DSE-04 A-27

[SOLID MECHANICS-II]

Time : Two hours

Full Marks : 40

Answer **any four** questions.

(Symbols have their usual meaning.)

1. Show that the plane wave solution of the form :

$$\vec{U} = \vec{d}F(\vec{r} \cdot \vec{N} - ct)$$

to the equation of motion

$$\rho \frac{\partial^2 \vec{U}}{\partial t^2} = (\lambda + \mu) \vec{\nabla}(\vec{\nabla} \cdot \vec{U}) + \mu \nabla^2 \vec{U}$$

is possible if

(i) either $\vec{d} = \pm \vec{N}$ or $\vec{d} \cdot \vec{N} = 0$ and $\mu = \rho c^2$. 10

2. Deduce the displacement vector equation in elastic medium in the form :

$$\rho \frac{\partial^2 \vec{U}}{\partial t^2} = (\lambda + \mu) \vec{\nabla}(\vec{\nabla} \cdot \vec{U}) + \mu \nabla^2 \vec{U} + \rho \vec{F}$$

where $\vec{F}$ is the body force and other symbols have their usual meanings. 10

[Turn over