

B.A EXAMINATION, 2025
ECONOMICS (HONOURS)

1st Year, 2nd Semester

Subject Code : ECON/UG/SEC/12/102

MATHEMATICAL METHODS IN ECONOMICS - II

Time : Two Hours

Full Marks : 30

1. Answer any *one* of the following questions (CO1) 2×1=2
- (a) For a homogeneous set of simultaneous equations $AX = B$, what is the condition for unique solution ?
- (b) For a non-homogeneous set of simultaneous equations $AX = B$, what is the condition for unique solution ?
2. Answer any *one* of the following questions (CO2) 6×1=6
- (a) Solve the following system of equations :
- $$0.3X_1 + 0.5X_2 + 0.2X_3 + 9 = X_1$$
- $$0.2X_1 + 0.3X_2 + 0.3X_3 + 11 = X_2$$
- $$0.4X_1 + 0.1X_2 + 0.2X_3 + 7 = X_3$$
- (b) Solve the following system of equations :
- $$7S + 2P + 2Q = 0$$
- $$2S + 5Q = 0$$
- $$18S + 4P + 14Q = 0$$
3. Answer any *one* of the following questions (CO3) 6×1=6
- (a) For the following set of equations, find out the expression for dI/dp at equilibrium and check whether the value of equilibrium I will increase with 'p' or not.
- $$Y = C + I + G$$
- $$C = C(Y), 0 < C'(Y) < 1$$
- $$I = p + qr$$
- $$G = m + nY$$
- Where, Y , C , I , T and G are income, consumption, investment, tax and government expenditure respectively.

- (b) For the following set of equations, find out the expression for dP/dw at equilibrium using implicit function theorem and check whether the value of equilibrium S will increase with 'w' or not taking different restrictions on the parameters.

$$D = D(P, Y); D_P < 0, D_Y > 0$$

$$S = S(P, w); S_P > 0, S_w > 0$$

$$D = S$$

Where, D , S and P are demand for apple, Supply of apple and price of apple respectively. Y is income and w is weather parameter.

4. Answer any *two* of the following questions (CO4) 8×2=16

(a) Solve (i) $2 \frac{dy}{dt} + 7y = 5y^3$ 4

(ii) $Y_{t+1} - Y_t = t$ 4

- (b) Solve for time path and infer about the nature and stability of the time path for P from the following set of differential equations : 8

$$Q^d = a - bP + k \left(\frac{dP}{dt} \right) + m \left(\frac{d^2P}{dt^2} \right); a, b > 0$$

$$Q^s = c + nP + s \left(\frac{dP}{dt} \right) + g \left(\frac{d^2P}{dt^2} \right); c, n > 0$$

$$Q^d = Q^s$$

Where, k , m , s and g are constant.

- (c) Solve for time path and infer about the nature and stability of the time path for C_t the following set of difference equations : 8

$$Y_t = C_t + I_t + G_0$$

$$C_t = \beta Y_{t-1}$$

$$I_t = \alpha (C_t - C_{t-1})$$